## ME225DS: Dynamical Systems with Symmetry Winter 2008

Instructor: Jeff Moehlis,

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Lectures: Tuesday, Thursday 3:30-4:45, Phelps 1420

No lecture: Thursday, January 17

No office hours Wednesday, January 16, Thursday January 17

Office Hours: Wednesday 11:00-12:00, Thursday 10:00-11:00, 2350 Engr II Bldg

Course Webpage: http://www.engineering.ucsb.edu/~moehlis/ME225DS

Prerequisites: ME215A and ME215B, or permission of instructor

Grades: based on homework

The following topics will be covered

- group theory
- derivation of ordinary differential equation models by symmetry arguments
- classification of solutions by symmetry
- normal form symmetry
- equivariant bifurcation theory
- global bifurcations with symmetry
- heteroclinic cycles
- forced symmetry-breaking

There is no textbook for the class, but it will draw upon the following references:

- J. Moehlis and E. Knobloch. Equivariant Dynamical Systems http://www.scholarpedia.org/article/Equivariant\_Dynamical\_Systems
- J. Moehlis and E. Knobloch. Equivariant Bifurcation Theory http://www.scholarpedia.org/article/Equivariant\_Bifurcation\_Theory
- M. Golubitsky and I. Stewart. The Symmetry Perspective, 2002.
- M. Golubitsky, I. Stewart, and D.G. Schaeffer. Singularities and Groups in Bifurcation Theory, Volume II, 1988.
- R. Hoyle. Pattern Formation: An Introduction to Methods, 2006.

Useful books on dynamical systems:

- S. Wiggins, Introduction to Applied Nonlinear Dynamical Systems and Chaos, Second Edition, 2003.
- J. Guckenheimer and P. Holmes, Nonlinear Oscillations, Dynamical Systems, and Bifurcations of Vector Fields
- S. H. Strogatz, Nonlinear Dynamics and Chaos: With Applications in Physics, Biology, Chemistry, and Engineering
- P. Glendinning, Stability, Instability, and Chaos